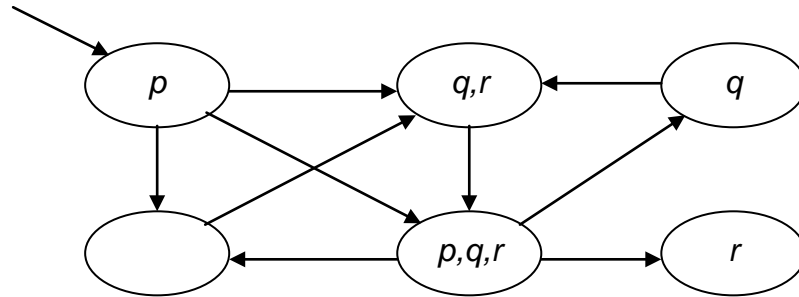


Exercise 2: Symbolic safety analysis and liveness analysis

1. We have the following Kripke structure  $M$  with proposition set  $\{p, q, r\}$ . We only put down the proposition names that are true at states.



Please construct a propositional logic formula that describes the states of  $M$ .

2. For the Kripke structure  $M$  in question 1, please construct a propositional logic formula of variables  $\{p, q, r, p', q', r'\}$  that describes the transition relation of  $M$ .

3. For the Kripke structure  $M$  in question 1, please use the symbolic least fixpoint algorithm to construct a propositional formula that characterizes states satisfying  $\exists \diamond q$ . According to the formula you constructed, please tell me whether the initial state satisfies  $\exists \diamond q$ ?

4. For the Kripke structure  $M$  in question 1, please use the symbolic greatest fixpoint algorithm to construct a propositional formula that characterizes states satisfying  $\exists \square (q \vee r)$ . According to the formula you constructed, please tell me whether the initial state satisfies  $\forall \diamond ((\neg q) \wedge \neg r)$ ?